$\qquad$ Date $\qquad$ Class $\qquad$

## ${ }_{6-3}^{\text {LEsson }}$ Writing Two-Step Equations

Many real-world problems look like this:

```
one-time amount + number x variable = total amount
```

You can use this pattern to write an equation.
Example:
At the start of a month a customer spends $\$ 3$ for a reusable coffee cup. She pays $\$ 2$ each time she has the cup filled with coffee. At the end of the month she has paid $\$ 53$. How many cups of coffee did she get?
one-time amount: \$3
number $\times$ variable: $\quad 2 \times c$ or $2 c$, where $c$ is the number of cups of coffee
total amount: \$53
The equation is: $\quad 3+2 c=53$.

Write an equation to represent each situation.
Each problem can be represented using the form:
one-time amount + number $\times$ variable $=$ total amount

1. The sum of twenty-one and five times a number $f$ is 61 .
$\overline{\text { one-time amount }}+\overline{\text { number } \times \text { variable }}=\overline{\text { total amount }}$
2. Seventeen more than seven times a number $j$ is 87 .
3. A customer's total cell phone bill this month is $\$ 50.50$. The company charges a monthly fee of $\$ 18$ plus five cents for each call. Use $n$ to represent the number of calls.
4. A tutor works with a group of students. The tutor charges $\$ 40$ plus $\$ 30$ for each student in the group. Today the tutor has $s$ students and charges a total of $\$ 220$.
$\qquad$
$\qquad$ Date $\qquad$ Class $\qquad$
5. $j=13.1$
6. $y=12$
7. $w=-20$
8. $a=-6$

## Reading Strategies

1. $8 \times \frac{p}{8}=-2 \times 8 ;-16$
2. $1.5-1.5+q=-0.6-1.5 ;-2.1$
3. $\frac{-9.5 a}{-9.5}=\frac{-38}{-9.5} ; 4$
4. $14 v=269.50 ; \frac{14 v}{14}=\frac{269.50}{14} ; v=\$ 19.25$
5. $\frac{3}{4} g=18 ; \frac{4}{3} \times \frac{3}{4} g=\frac{4}{3} \times 18 ; g=24$ games

## Success for English Learners

1 . The " 7.2 " has to be written as " 7.20 " so it will have the same number of decimal places as "3.84."
2. $\frac{a}{-3}$ can be written as $-\frac{1}{3} a$, so $-\frac{1}{3}$ is a rational number coefficient.
3. $\frac{1}{4} x$ could be written as $\frac{x}{4}$ or as $0.25 x$.

## LESSON 6-3

## Practice and Problem Solving: A/B


2.

3. $6 t+15=81$
4. $40+55 h=190$
5. $1.75+0.75 m=4.75$

## Practice and Problem Solving: C

1. $\frac{p+7}{12}=3$
2. $\frac{16}{q+1}=4$
3. $\frac{7-s}{3}=2$
4. $12.3+5.013 d=15.302$
5. $\frac{z+22}{z}=12$
6. $75+255 c=1,605$

Practice and Problem Solving: D

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| :--- | :--- | :--- |
| + | $\dagger$ | $\pm \pm+$ |

2. 


3.

4. $3 d+5=17$
5. $40+25 m=240$
6. $10+7 r=45$

## Reteach

1. $21+5 f=61$
2. $7 j+17=87$
3. $18+0.05 n=50.50$
4. $40+30 s=220$

## Reading Strategies

1. Equation: $50-5 n=15$

Number of steps and description:
Two steps: Multiply a number $n$ by 5 , and subtract the result from 50 .
2. Equation: $m+8=27$

Number of steps and description:
One step: Add 8 to a number $m$.
3. Equation: $4 b+3=23$

Number of steps and description:
Two steps: Multiply a number $b$ by 4, then add 3.
4. Equation: $15 f=90$

Number of steps and description:
One step: Multiply a number $f$ by 15 .

